# PID Control and Overshoot Elimination: Oscillation Curve Simulation 

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#### Abstract

An identification of an industrial process is very necessary. An identification through a mapping chart analysis is conducted to obtain PID control parameters. The parameters of the PID controller are needed to adapt to changes in the process parameters that occur, and at the same time to re-tune the control parameters automatically. This paper discusses a program design that is created to describe the oscillation curve in an industrial process. After the oscillation curve is obtained, then the controller settings: P, PI, PID are tuned. The response curve of the results of the controller settings: P, PI, PID will result in overshoot. Overshoot will be eliminated mainly from the response curve of the results of the PI controller settings.


## 1. Introduction

The existence of several physical events that change the process characteristics causes the stability of the system to be disrupted, so it is necessary to control the changes in the process parameters. So far, the type of controller that is widely used in the field of industrial control is the PID controller (Proportional, Integral and Differential) [1,2]. The PID controller is actually a conventional controller which, due to its relatively good condition and easy operation, is still widely used. The PID controller provides three kinds of control methods, namely: Proportional (P), Integral (I), Differential (D). In their operation, the three control parameters require good tuning, in order to provide a good and fast output response [3,4].

Many methods have been introduced to tune PID control parameters including the Rungge-Kutta method, however, in an industrial process to get good control performance in each industrial process when overshoot or oscillation occurs, often by the controller operators the control parameters are checked manually through the trial-and-error method. Every change in the process characteristics must be accompanied by a re-tuning of the control parameters [3,5]. The job of retuning the controller is a job that takes time and is very disruptive to the running process. For that we need a technique that is able to adapt to changes in process parameters that occur, and at the same time

[^0]re-tuning the control parameters automatically. This paper discusses a program to form an oscillation and reduction curve with a PID controller $[2,6,7]$. The design of this program must at least be in accordance with the dynamics of actual events in the field. The results of this program design are expected to be used for operator training in industrial processes when disturbances occur in the form of oscillations [4.8,9].

## 2. Literature Study

### 2.1 Tuning of PID Controller to Create an Oscillation Curve

The $K_{p u}$ critical enhancement and the $T_{o s c}$ period that are determined by measurements or calculations[4,6] (see Figure 1).


Fig 1. Continuous oscillations of the $T_{\text {osc }}$ period
The flow chart for making oscillation curves (heat exchanger data) [7-10] is in Figure 2.


Fig. 2. Flow chart for creating an oscillation curve

### 2.2 Tuning of PID Controller Oscillation Curve

Zigler and Nichols suggested tuning the parameter values of $K_{p}, T_{i}$, and $T_{d}$ based on the equation shown in Table 1 [6,10-12].

## Table 1

The Ziegler-Nichols tuning rules are based on on the strengthening of $K_{p u}$ and the critical period of $T_{o s c l}$

| Types of Controllers | $K_{p}$ | $T_{i}$ | $T_{d}$ |
| :--- | :--- | :--- | :--- |
| P | $0,5 K_{p u}$ | $\infty$ | 0 |
| PI | $0,45 K_{p u}$ | $\frac{1}{2} T_{o s c}$ | 0 |
| PID | $0,6 K_{p u}$ | $0,5 T_{o s c}$ | $0,125 T_{o s c}$ |

The flow chart for reducing the oscillation curve [13-16] as shown in Figure 3.


Fig. 3. The program to reduce the oscillation curve

### 2.3 Elimination of Overshoots

The response curve for a first order system with a time delay that has overshoot that can be eliminated [17-19] by setting the PI controller which can be derived as follows
$G(s) H(s)=K_{p}\left(1+\frac{1}{T_{i} s}\right)\left(\frac{K_{s}}{\tau s+1} e^{-t_{d} s}\right)$
with $s=j \omega$, Eq. (1) becomes
$G(j \omega) H(j \omega)=K_{p}\left(\frac{j \omega T_{i}+1}{j \omega T_{i}}\right)\left(\frac{K_{s}}{j \omega \tau+1}\right) e^{-j \omega t_{d}}$
$T_{i}=\tau$, is selected, Eq. (2) is obtained
$G(j \omega) H(j \omega)=\frac{K_{p} \cdot K_{s}}{j \omega \tau} e^{-j \omega t_{d}}$
The Magnitude of the Eq. (3) is
$|G H|=\frac{K_{p} \cdot K_{s}}{\omega \cdot \tau}$
for $w=\omega_{c}$, the Eq. (4) becomes
$|G H|=\frac{K_{p} \cdot K_{s}}{\omega_{c} \cdot \tau} \leq 0,5$
The angle of the Eq. (5) is
$\angle G H=-\frac{\pi}{2}-\omega \cdot t_{d}$
For $\omega=\omega_{c}$, the Eq. (6) becomes
$\angle G H=-\frac{\pi}{2}-\omega_{c} \cdot t_{d}$

The Eq. (7) is made into
$-\frac{\pi}{2}-\omega_{c} \cdot t_{d}=-\pi$
or
$\omega_{c}=\frac{\pi}{2 . t_{d}}$
so that
$K_{p} \leq 0,5 . \omega_{c} \cdot \tau$
$K_{p} \leq 0,5 \cdot \frac{\pi}{2} \cdot \frac{\tau}{t_{d}} \cdot \frac{1}{K_{s}}$
$K_{p} \leq 0,8 \cdot \frac{\tau}{t_{d}} \cdot \frac{1}{K_{s}}$

For controller P
$K_{p} \leq \frac{0,5}{K}$
or
$K_{p}<0,8 \cdot \frac{\tau}{t_{d}} \cdot \frac{1}{K_{s}}$

The magnitude of $|G(j \omega) H(j \omega)|$
$|G(j \omega) H(j \omega)|=\frac{K_{p} \cdot K_{s} \sqrt{\left(\omega T_{i}\right)^{2}+1}}{\omega T_{i} \sqrt{(\omega \tau)^{2}+1}}$

## The Equation of the Characteristics

$1+G(s) H(s)=0$
or
$1+K_{p}\left(1+\frac{1}{T_{i} s}\right)\left(\frac{K}{\tau_{s}+1}\right)=0$
or
$\left(T_{i} s\right)(\tau s+1)+K_{p} \cdot K_{s}\left(T_{i} s+1\right)=0$
or
$T_{i} \tau \mathrm{~J}^{2}+T_{i} s\left(1+K_{p} \cdot K_{s}\right)+K_{p} \cdot K_{s}=0$
with $G B=K p . K s$ and so that the system does not give oscillations, then out of the Eq. (19) is obtained
$T_{i}^{2}\left(1+K_{p} \cdot K_{s}\right)^{2}-4 T_{i} \cdot \tau \cdot K_{p} K_{s} \geq 0$
or
$T_{i} \geq \frac{4 \tau G B}{(1+G B)^{2}}$

Figure 4 shows the relationship between $G B$ and $T_{i}$ as the border between the oscillating and nonoscillating systems.


Fig. 4. The relationship between $G B$ and $T_{i}$ the border between oscillating and non-oscillating systems

## 3. Results and Analysis

### 3.1 Results

The results of a program to describe a continuous oscillation curve on a heat exchanger with data as follows: $K_{s}=1.34, \tau=4.2, t_{d}=1.5$ minutes and prices: epsilon $=70.01, r=70$, delta_t $=0.2$, and $K_{p u}$ $=2.982$ as shown in Figure 5 below.


Fig. 5. The results of a continuous oscillation response curve program

The tuning of PID controller of the continuous oscillation response curve in Figure 5 above with the values: epsilon $=70.01, r=70$, delta_t $=0.2, \mathrm{~K}_{\text {pu }}=2.982, \mathrm{~T}_{\text {osc }}=6$ minutes, and the controller tuning types selected are 'P', 'PI' , and 'PID'. Based on Table 2, it can be determined for the controller settings:

- With the type of $P$

$$
\begin{aligned}
& K_{p}=0,5 \cdot K_{p u}=0,5 \cdot 2,982=1,491 \\
& T_{i}=\infty \\
& T_{d}=0
\end{aligned}
$$

- With the type of PI

$$
\begin{aligned}
& K_{p}=0,45 . K_{p u}=0,45 \cdot 2,982=1,3419 \\
& T_{i}=\frac{1}{1,2} T_{o s i}=\frac{1}{1,2} \times 6=5 \\
& T_{d}=0
\end{aligned}
$$

- With the type of PID

$$
K_{p}=0,6 \cdot K_{p u}=0,6 \cdot 2,982=1,7892
$$

$$
T_{i}=0,5 \cdot T_{\text {osi } i}=0,5.6=3
$$

$$
T_{d}=0,125 . T_{\text {osi } i}=0,125.6=0,75
$$

The results of the tuning type of the 'P' controller are shown in Figure 6, for the 'PI' controller type as shown in Figure 7, and for the 'PID' controller type as shown in Figure 8.


Fig. 6. The tuning of continuous oscillation response curve of Figure 5 for the controller type of 'P'


Fig. 7. The tuning of continuous oscillation response curve of Figure 5 for the controller type of 'PI'


Fig. 8. The tuning of continuous oscillation response curve of Figure 5 for the controller type of 'PID'

The elimination of overshoot in Figure 7 is by determining the magnitudes of $K_{p}, T_{i}$ and for $T_{d}=0$. To determine $K_{p}$ and $T_{i}$ is by using Eq. (13) and Eq. (21). In which the price of the static amplifier $K=$ $1.34, \tau=4.2$ minutes. So that the value of $K_{p}$ is as follows:

$$
\begin{aligned}
& K_{p} \leq \frac{0,5}{K} \\
& K_{p} \leq \frac{0,5}{1,34} \\
& K_{p} \leq 0,373
\end{aligned}
$$

For the value of $K_{p}$ the value of $K_{p}=0,3$ is taken. The value of $T_{i}$ can be sought as follows:

$$
T_{i} \geq \frac{4 \tau \cdot K_{p} \cdot K}{\left(1+K_{p} \cdot K\right)^{2}}
$$

By inputting the above values, then
$T_{i} \geq \frac{4 \cdot 4,2 \cdot 0,3 \cdot 1,34}{(1+0,3 \cdot 1,34)^{2}}$
$T_{i} \geq 3,436$

Or
$3,436 \leq T_{i}$
For the value of $T_{i}, T_{i}=3,5$ minutes can be used. So for the simulation, the value of $K_{p}=0.3, T_{i}=$ 3.5 minutes, and $T_{d}=0$. So that Figure 7 eliminates the overshoot, and the results are as shown in Figure 9.


Fig. 9. Response curve after being eliminated from Figure 7

### 3.2 Analysis

The results of the program design to produce a continuous oscillation curve on a heat exchanger with the data of $\mathrm{K}_{\mathrm{s}}=1.34, \tau=4.2, \mathrm{t}_{\mathrm{d}}=1.5$ minutes and the values of: epsilon $=70.01, r=70$, delta_t $=0.2$, and $K_{p u}=2.982, T_{o s c}=6$ minutes as shown in Figure 5. From the oscillation curve of Figure 5 then the tuning of the P controller response curve is as shown in Figure 6, the tuning of the PI controller response curve is as shown in Figure 7, the tuning of the PID controller response curve is as shown in Figure 8. The Peak of Overshoot of the tuning results of the PI controller is as shown in Figure 7 which is at a time of $t p=3.80$ minutes with $c(t p)=86.36^{\circ} \mathrm{C}$, so that the percent of overshoot is $M p=\left(\frac{86,36-70}{70}\right) \times 100 \%=23,37 \%$. The result after eliminating the overshoot is as shown in Figure 9.

## 4. Conclusion

To produce an oscillation curve on a heat exchanger with a critical enhancement of $K_{p u}=2.982$ and a period of $T_{\text {osc }}=6$ minutes. The overshoot that occurs in the PI controller tuning, the response curve is at time $\mathrm{tp}=3.80$ minutes with $\mathrm{c}(\mathrm{tp})=86.36^{\circ} \mathrm{C}$, so that the percent of overshoot is $\mathrm{Mp}=$ $23.37 \%$. After being eliminated there is no more overshoot.

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